

# Lock Analysis for an Asynchronous Object Calculus

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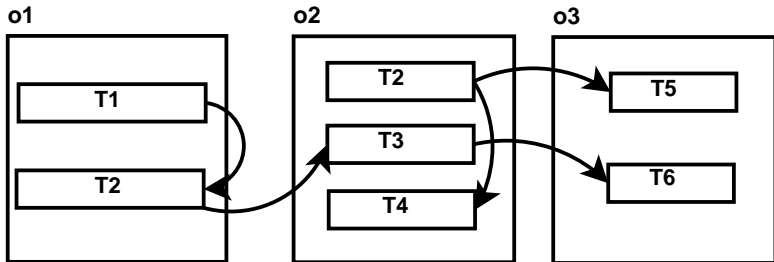
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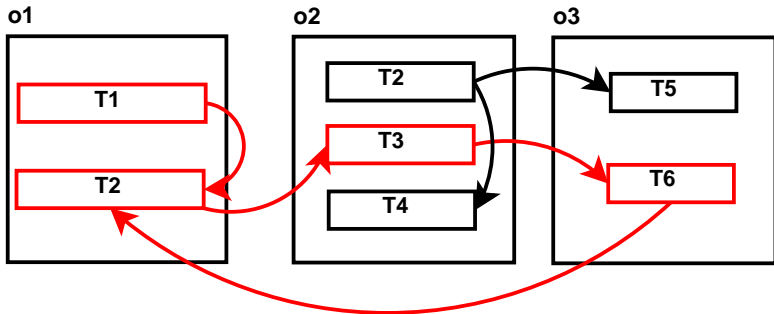
- ▶ define a calculus for objects interacting asynchronously

## Featherweight Java with futures (FJf)

- ▶ introduce contracts (behavioural types)  $\Rightarrow$  lock analysis for FJf
- ▶ natural extensions to FJf  $\longrightarrow$  FJf<sup>+</sup>
- ▶ design framework evolution for lock analysis of FJf<sup>+</sup>

- ▶ objects execute concurrently
- ▶ an object's activity  $\leftrightarrow$  set of tasks
- ▶ one lock per object – one active task per object
- ▶ asynchronous interaction





**circularity** = dangerous configuration

- ▶ based on Featherweight Java (FJ)

$e ::= x \mid e.f \mid \text{new } C(\bar{e}) \mid e; e \mid e!m(\bar{e}) \mid e.\text{get} \mid e.\text{await}$

$T ::= C \mid \text{Fut}(T)$

- ▶ features
  - $e!m(\bar{e})$  method invocation is asynchronous
  - $e.\text{get}$  retrieve result, keeping lock
  - $e.\text{await}$  wait for result, releasing lock
  - $\text{Fut}(T)$  explicit future type

a variable  $X$  with type  $\text{Fut}(T)$  is:

- ▶ a placeholder for a value of type  $T$  that will be available (when its computation ends)

```
X = e!m();
```

- ▶ used as a (future) reference to retrieve the actual value when ready  
`return X.get;`
- ▶ typically used in calculi with asynchronous method calls

- ▶ collect object name dependencies in a program
- ▶ by means of contracts (behavioural types)
- ▶ (automagically) through type-inference
- ▶ look for circularities



methods  $\xrightarrow{\text{type inference}}$  contracts

```
class C {  
  
    C m() { return new C ;}  
  
    C r(C x) { return x!m().get ;}  
}
```

methods  $\xrightarrow{\text{type inference}}$  contracts

```
class C {  
  
    a[] () { 0 } b[]  
    C m() { return new C ;}  
  
    a[] (b[]) { C.m b[] ().(a,b) } d[]  
    C r(C x) { return x!m().get ;}  
}
```

$a[] (b[]) \{ C.m b[] () \cdot (a, b) \} d[]$

$$\underbrace{R}_{\text{object record}} \left( \underbrace{\bar{S}}_{\text{parameter record}} \right) \{ \underbrace{C}_{\text{contract body}} \} \underbrace{R'}_{\text{returned record}}$$

- ▶ (made of) **object names**
- ▶ used to (statically) **track objects in a program**  
a fresh name for every `new`
- ▶ grammar

$\mathbb{R} ::= X$	variable
$a[\bar{f} : \bar{\mathbb{R}}]$	object's structure
$a \rightsquigarrow \mathbb{R}$	access to $\mathbb{R}$ granted through $a$

```
class A {  
    Object f ;  
  
    A m() { return new A(this.f) ; }  
  
    Fut(A) n(A x) { return x!m() ; }  
  
    A r(A x) { return x!m().await.get ; }  
}
```

```
class A {  
    Object f ;  
  
    a[f : b] () {0} a'[f : b]  
    A m() { return new A(this.f) ; }  
  
    a[f : X] (a'[f : Y]) {A.m a'[f : Y]() } a'[f : Y]  $\rightsquigarrow$  a''[f : Y]  
    Fut(A) n(A x) { return x!m() ; }  
  
    a[f : X] (a'[f : Y]) {A.m a'[f : Y]().(a, a')a} a''[f : Y]  
    A r(A x) { return x!m().await.get ; }  
}
```

# expression contracts 1

- ▶ core of a method contract  $\rightarrow$  **contract body**
- ▶ contains contract associated to expression in method's body
- ▶ keeps **info on object dependencies**

$\mathbb{C} ::= 0$	no info
$\mathbb{C}.m \ \mathbb{r}(\bar{\mathbb{S}})$	method $\mathbb{C}.m$ invoked on $\mathbb{r}$ with parameters $\bar{\mathbb{S}}$
$\mathbb{C}.m \ \mathbb{r}(\bar{\mathbb{S}}).(a, b)$	" plus <i>get</i> operation on result
$\mathbb{C}.m \ \mathbb{r}(\bar{\mathbb{S}}).(a, b)^a$	" plus <i>await</i> operation on result
$(a, b)$	<i>get</i> operation on a field
$(a, b)^a$	<i>await</i> operation on a field
$\mathbb{C} \circ \mathbb{C}$	sequential composition

```
class C {  
  
    a[] () {0} b[]  
    C m() { return new C ;}  
  
    a[] (b[]) { C.m b[] ().(a,b) } d[]  
    C r(C x) { return x!m().get ;}  
}
```



# lock analysis for FJf

- ▶ extracted contracts  $\xrightarrow{\text{compose}}$  automaton
- ▶ states are sets of dependencies
- ▶ transitions model how are dependencies activated and discarded
- ▶ circularity  $\Rightarrow$  possible dead (or live-)lock



lock-free



potential misbehaviour

- ▶ FJf is a functional language (just as FJ)  
(fields only initialized, by constructor)
- ▶ let's introduce notion of `state` by `field update`
- ▶ add `this.f = e` to the syntax of expressions

can we adjust previous framework?

- ▶ consider  $x!m(); x!n()$  where
  - $m()$  does  $this.f = e1$
  - $n()$  does  $this.f = e2$
- ▶ no way to know order in which updates take place
- ▶ static analysis  $\Rightarrow$  keep track of all different possibilities

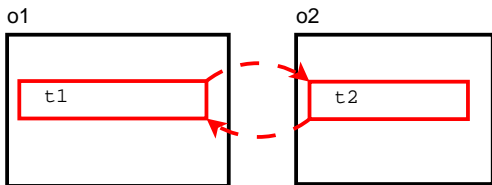
$\Rightarrow$  future records must contain **sets of names**

$\mathbb{R} ::= X \mid a[\bar{f} : \bar{\mathbb{R}}] \mid a \rightsquigarrow \mathbb{R}$       old syntax

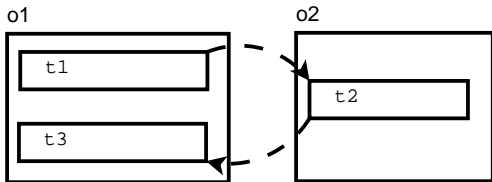
$\mathbb{R} ::= X \mid \mathcal{A}[\bar{f} : \bar{\mathbb{R}}] \mid \mathcal{A} \rightsquigarrow \mathbb{R}$       new syntax

# extensions - side effects 1

now: possible to write **pure livelocks** (await-only circularities)



before: await-only circularities were non-problematic  
(by construction)



- ▶ essential to distinguish good from bad circularities
- ▶ need to introduce also **names for tasks**  
↔ **dependencies btw. tasks**
- ▶ create a new task name for every method invocation
- ▶ future record of invocation tagged by associated task:  $\mathcal{A} \rightsquigarrow_{\mathbf{t}} \mathcal{S}$
- ▶ states of the automaton contain also dependencies btw. tasks  $(\mathbf{t}, \mathbf{t}')$

the type system must also be tuned ...

old style:  $\Gamma \vdash_a e : (\mathbb{T}, \mathbb{r}), \mathbb{C}$

where:

- ▶  $\Gamma \rightarrow$  environment
- ▶  $a \rightarrow$  name of the object `this`
- ▶  $e \rightarrow$  FJf expression
- ▶  $\mathbb{T} \rightarrow$  expression  $e$ 's (class or future) type
- ▶  $\mathbb{r} \rightarrow$  expression  $e$ 's future record
- ▶  $\mathbb{C} \rightarrow$  expression  $e$ 's contract

updated version:  $\Gamma \vdash_a^t e : (\mathbb{T}, \mathbb{r}), \mathbb{C}$

old rule:

$$\frac{\Gamma \vdash_a e : (\text{Fut}(\mathbb{T}), \mathbf{a}' \rightsquigarrow \mathbb{S}), \mathbb{C}}{\Gamma \vdash_a e.\text{get} : (\mathbb{T}, \mathbb{S}), \mathbb{C} \checkmark (\mathbf{a}, \mathbf{a}')$$

new rule:

$$\frac{\Gamma \vdash_a^t e : (\text{Fut}(\mathbb{T}), \mathcal{A} \rightsquigarrow_{\mathbf{t}} \mathbb{S}), \mathbb{C}}{\Gamma \vdash_a^t e.\text{get} : (\mathbb{T}, \mathbb{S}), \mathbb{C} \checkmark (\mathbf{t}, \mathbf{t}') \checkmark (\mathbf{a}, \mathbf{a}_i) \forall \mathbf{a}_i \in \mathcal{A}}$$

- ▶ start from **ABS language**  
(programming lang. developed @HATS project (7<sup>th</sup> FP) - **Highly Adaptable and Trustworthy Software using Formal Models**)
- ▶ extract core (functional) fragment  $\rightarrow$  FJf  
(ref. **Deadlock and Livelock Analysis in Concurrent Objects with Futures** (MSCS'11) - Giachino, Laneve & Lascu)
- ▶ develop contracts for lock analysis of FJf  
(ref. same as above)
- ▶ extend language  $\rightarrow$  FJf<sup>+</sup>
- ▶ ideas to adapt framework to FJf<sup>+</sup>



- ▶ improve analysis' precision  
(infinite names dealt with finite approximants)
- ▶ proof of concept prototype (under construction)
- ▶ fix analysis' details with addition of tasks
- ▶ introduce `null` value  $\Rightarrow$   
`circular lists` + `recursive records` ??
- ▶ extend analysis to (full) ABS language

thanks!